

20_Granular-level_Combined-Tax-Subsidy_Results

```
-----  
  name: <unnamed>  
  log: C:\Users\ids29\Documents\Stata\Taxes-Subsidies_Granular_Results.log  
log type: text  
opened on: 19 Nov 2012, 14:15:18
```

```
.  
. foreach var of varlist PEX001- BW026 {  
  2.  
  display "----- `var' -----"  
  3.  
  signtest a_`var' = b_`var'  
  4.  
}.  
----- PEX001 -----
```

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

```
Ho: median of a_PEX001 - b_PEX001 = 0 vs.  
Ha: median of a_PEX001 - b_PEX001 > 0  
Pr(#positive >= 1) =  
    Binomial(n = 1, x >= 1, p = 0.5) = 0.5000  
  
Ho: median of a_PEX001 - b_PEX001 = 0 vs.  
Ha: median of a_PEX001 - b_PEX001 < 0  
Pr(#negative >= 0) =  
    Binomial(n = 1, x >= 0, p = 0.5) = 1.0000
```

Two-sided test:

```
Ho: median of a_PEX001 - b_PEX001 = 0 vs.  
Ha: median of a_PEX001 - b_PEX001 != 0  
Pr(#positive >= 1 or #negative >= 1) =  
    min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
```

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

```
Ho: median of a_PEX002 - b_PEX002 = 0 vs.  
Ha: median of a_PEX002 - b_PEX002 > 0  
Pr(#positive >= 0) =  
    Binomial(n = 1, x >= 0, p = 0.5) = 1.0000  
  
Ho: median of a_PEX002 - b_PEX002 = 0 vs.  
Ha: median of a_PEX002 - b_PEX002 < 0  
Pr(#negative >= 1) =  
    Binomial(n = 1, x >= 1, p = 0.5) = 0.5000
```

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Two-sided test:

```

Ho: median of a_PEX002 - b_PEX002 = 0 vs.
Ha: median of a_PEX002 - b_PEX002 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PEX003 -----

```

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

```

Ho: median of a_PEX003 - b_PEX003 = 0 vs.
Ha: median of a_PEX003 - b_PEX003 > 0
Pr(#positive >= 0) =
Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PEX003 - b_PEX003 = 0 vs.
Ha: median of a_PEX003 - b_PEX003 < 0
Pr(#negative >= 1) =
Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

```

Two-sided test:

```

Ho: median of a_PEX003 - b_PEX003 = 0 vs.
Ha: median of a_PEX003 - b_PEX003 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PEX004 -----

```

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

```

Ho: median of a_PEX004 - b_PEX004 = 0 vs.
Ha: median of a_PEX004 - b_PEX004 > 0
Pr(#positive >= 1) =
Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Ho: median of a_PEX004 - b_PEX004 = 0 vs.
Ha: median of a_PEX004 - b_PEX004 < 0
Pr(#negative >= 0) =
Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

```

Two-sided test:

```

Ho: median of a_PEX004 - b_PEX004 = 0 vs.
Ha: median of a_PEX004 - b_PEX004 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PEX005 -----

```

Sign test

sign	observed	expected
positive	0	.5

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negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX005 - b_PEX005 = 0 vs.
 Ha: median of a_PEX005 - b_PEX005 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX005 - b_PEX005 = 0 vs.
 Ha: median of a_PEX005 - b_PEX005 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PEX005 - b_PEX005 = 0 vs.
 Ha: median of a_PEX005 - b_PEX005 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX006 - b_PEX006 = 0 vs.
 Ha: median of a_PEX006 - b_PEX006 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX006 - b_PEX006 = 0 vs.
 Ha: median of a_PEX006 - b_PEX006 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PEX006 - b_PEX006 = 0 vs.
 Ha: median of a_PEX006 - b_PEX006 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX007 - b_PEX007 = 0 vs.
 Ha: median of a_PEX007 - b_PEX007 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX007 - b_PEX007 = 0 vs.

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Ha: median of a_PEX007 - b_PEX007 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:
 Ho: median of a_PEX007 - b_PEX007 = 0 vs.
 Ha: median of a_PEX007 - b_PEX007 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PEX008 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX008 - b_PEX008 = 0 vs.
 Ha: median of a_PEX008 - b_PEX008 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX008 - b_PEX008 = 0 vs.
 Ha: median of a_PEX008 - b_PEX008 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PEX008 - b_PEX008 = 0 vs.
 Ha: median of a_PEX008 - b_PEX008 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PEX009 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX009 - b_PEX009 = 0 vs.
 Ha: median of a_PEX009 - b_PEX009 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX009 - b_PEX009 = 0 vs.
 Ha: median of a_PEX009 - b_PEX009 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PEX009 - b_PEX009 = 0 vs.
 Ha: median of a_PEX009 - b_PEX009 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PEX010 -----

Sign test

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sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX010 - b_PEX010 = 0 vs.
 Ha: median of a_PEX010 - b_PEX010 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_PEX010 - b_PEX010 = 0 vs.
 Ha: median of a_PEX010 - b_PEX010 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PEX010 - b_PEX010 = 0 vs.
 Ha: median of a_PEX010 - b_PEX010 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX011 - b_PEX011 = 0 vs.
 Ha: median of a_PEX011 - b_PEX011 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_PEX011 - b_PEX011 = 0 vs.
 Ha: median of a_PEX011 - b_PEX011 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PEX011 - b_PEX011 = 0 vs.
 Ha: median of a_PEX011 - b_PEX011 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX012 - b_PEX012 = 0 vs.
 Ha: median of a_PEX012 - b_PEX012 > 0

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 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX012 - b_PEX012 = 0 vs.
Ha: median of a_PEX012 - b_PEX012 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PEX012 - b_PEX012 = 0 vs.
Ha: median of a_PEX012 - b_PEX012 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- PEX013 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX013 - b_PEX013 = 0 vs.
Ha: median of a_PEX013 - b_PEX013 > 0
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX013 - b_PEX013 = 0 vs.
Ha: median of a_PEX013 - b_PEX013 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PEX013 - b_PEX013 = 0 vs.
Ha: median of a_PEX013 - b_PEX013 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- PEX014 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX014 - b_PEX014 = 0 vs.
Ha: median of a_PEX014 - b_PEX014 > 0
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX014 - b_PEX014 = 0 vs.
Ha: median of a_PEX014 - b_PEX014 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PEX014 - b_PEX014 = 0 vs.
Ha: median of a_PEX014 - b_PEX014 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$

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 $\min(1, 2*\text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- PEX015 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX015 - b_PEX015 = 0 vs.
Ha: median of a_PEX015 - b_PEX015 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX015 - b_PEX015 = 0 vs.
Ha: median of a_PEX015 - b_PEX015 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PEX015 - b_PEX015 = 0 vs.
Ha: median of a_PEX015 - b_PEX015 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2*\text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- PEX016 -----

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX016 - b_PEX016 = 0 vs.
Ha: median of a_PEX016 - b_PEX016 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_PEX016 - b_PEX016 = 0 vs.
Ha: median of a_PEX016 - b_PEX016 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PEX016 - b_PEX016 = 0 vs.
Ha: median of a_PEX016 - b_PEX016 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2*\text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- PEX017 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

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One-sided tests:

Ho: median of a_PEX017 - b_PEX017 = 0 vs.
 Ha: median of a_PEX017 - b_PEX017 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX017 - b_PEX017 = 0 vs.
 Ha: median of a_PEX017 - b_PEX017 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PEX017 - b_PEX017 = 0 vs.
 Ha: median of a_PEX017 - b_PEX017 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PEX018 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX018 - b_PEX018 = 0 vs.
 Ha: median of a_PEX018 - b_PEX018 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX018 - b_PEX018 = 0 vs.
 Ha: median of a_PEX018 - b_PEX018 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PEX018 - b_PEX018 = 0 vs.
 Ha: median of a_PEX018 - b_PEX018 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PEX019 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PEX019 - b_PEX019 = 0 vs.
 Ha: median of a_PEX019 - b_PEX019 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX019 - b_PEX019 = 0 vs.
 Ha: median of a_PEX019 - b_PEX019 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

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Two-sided test:

```

Ho: median of a_PEX019 - b_PEX019 = 0 vs.
Ha: median of a_PEX019 - b_PEX019 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PEX020 -----

```

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

```

Ho: median of a_PEX020 - b_PEX020 = 0 vs.
Ha: median of a_PEX020 - b_PEX020 > 0
Pr(#positive >= 2) =
Binomial(n = 2, x >= 2, p = 0.5) = 0.2500

Ho: median of a_PEX020 - b_PEX020 = 0 vs.
Ha: median of a_PEX020 - b_PEX020 < 0
Pr(#negative >= 0) =
Binomial(n = 2, x >= 0, p = 0.5) = 1.0000

```

Two-sided test:

```

Ho: median of a_PEX020 - b_PEX020 = 0 vs.
Ha: median of a_PEX020 - b_PEX020 != 0
Pr(#positive >= 2 or #negative >= 2) =
min(1, 2*Binomial(n = 2, x >= 2, p = 0.5)) = 0.5000
----- PEX021 -----

```

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

```

Ho: median of a_PEX021 - b_PEX021 = 0 vs.
Ha: median of a_PEX021 - b_PEX021 > 0
Pr(#positive >= 2) =
Binomial(n = 2, x >= 2, p = 0.5) = 0.2500

Ho: median of a_PEX021 - b_PEX021 = 0 vs.
Ha: median of a_PEX021 - b_PEX021 < 0
Pr(#negative >= 0) =
Binomial(n = 2, x >= 0, p = 0.5) = 1.0000

```

Two-sided test:

```

Ho: median of a_PEX021 - b_PEX021 = 0 vs.
Ha: median of a_PEX021 - b_PEX021 != 0
Pr(#positive >= 2 or #negative >= 2) =
min(1, 2*Binomial(n = 2, x >= 2, p = 0.5)) = 0.5000
----- PEX022 -----

```

Sign test

sign	observed	expected
positive	2	1

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negative	0	1
zero	0	0

all	2	2

One-sided tests:

Ho: median of a_PEX022 - b_PEX022 = 0 vs.
 Ha: median of a_PEX022 - b_PEX022 > 0
 $\Pr(\#\text{positive} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PEX022 - b_PEX022 = 0 vs.
 Ha: median of a_PEX022 - b_PEX022 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PEX022 - b_PEX022 = 0 vs.
 Ha: median of a_PEX022 - b_PEX022 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0

all	2	2

One-sided tests:

Ho: median of a_PEX023 - b_PEX023 = 0 vs.
 Ha: median of a_PEX023 - b_PEX023 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX023 - b_PEX023 = 0 vs.
 Ha: median of a_PEX023 - b_PEX023 < 0
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

Ho: median of a_PEX023 - b_PEX023 = 0 vs.
 Ha: median of a_PEX023 - b_PEX023 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0

all	2	2

One-sided tests:

Ho: median of a_PEX024 - b_PEX024 = 0 vs.
 Ha: median of a_PEX024 - b_PEX024 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX024 - b_PEX024 = 0 vs.

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Ha: median of a_PEX024 - b_PEX024 < 0
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:
 Ho: median of a_PEX024 - b_PEX024 = 0 vs.
 Ha: median of a_PEX024 - b_PEX024 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
 ----- PEX025 -----

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PEX025 - b_PEX025 = 0 vs.
 Ha: median of a_PEX025 - b_PEX025 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX025 - b_PEX025 = 0 vs.
 Ha: median of a_PEX025 - b_PEX025 < 0
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

Ho: median of a_PEX025 - b_PEX025 = 0 vs.
 Ha: median of a_PEX025 - b_PEX025 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
 ----- PEX026 -----

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PEX026 - b_PEX026 = 0 vs.
 Ha: median of a_PEX026 - b_PEX026 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX026 - b_PEX026 = 0 vs.
 Ha: median of a_PEX026 - b_PEX026 < 0
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

Ho: median of a_PEX026 - b_PEX026 = 0 vs.
 Ha: median of a_PEX026 - b_PEX026 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
 ----- PEX027 -----

Sign test

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sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PEX}027} - b_{\text{PEX}027} = 0$ vs.
 $H_a: \text{median of } a_{\text{PEX}027} - b_{\text{PEX}027} > 0$
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

$H_0: \text{median of } a_{\text{PEX}027} - b_{\text{PEX}027} = 0$ vs.
 $H_a: \text{median of } a_{\text{PEX}027} - b_{\text{PEX}027} < 0$
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

$H_0: \text{median of } a_{\text{PEX}027} - b_{\text{PEX}027} = 0$ vs.
 $H_a: \text{median of } a_{\text{PEX}027} - b_{\text{PEX}027} \neq 0$
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PEX}028} - b_{\text{PEX}028} = 0$ vs.
 $H_a: \text{median of } a_{\text{PEX}028} - b_{\text{PEX}028} > 0$
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

$H_0: \text{median of } a_{\text{PEX}028} - b_{\text{PEX}028} = 0$ vs.
 $H_a: \text{median of } a_{\text{PEX}028} - b_{\text{PEX}028} < 0$
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

$H_0: \text{median of } a_{\text{PEX}028} - b_{\text{PEX}028} = 0$ vs.
 $H_a: \text{median of } a_{\text{PEX}028} - b_{\text{PEX}028} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PEX}029} - b_{\text{PEX}029} = 0$ vs.
 $H_a: \text{median of } a_{\text{PEX}029} - b_{\text{PEX}029} > 0$

20_Granular-level_Combined-Tax-Subsidy_Results
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX029 - b_PEX029 = 0 vs.
Ha: median of a_PEX029 - b_PEX029 < 0
 $\Pr(\#\text{negative} \geq 2) =$
 $\text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

Ho: median of a_PEX029 - b_PEX029 = 0 vs.
Ha: median of a_PEX029 - b_PEX029 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
----- PEX030 -----

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PEX030 - b_PEX030 = 0 vs.
Ha: median of a_PEX030 - b_PEX030 > 0
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PEX030 - b_PEX030 = 0 vs.
Ha: median of a_PEX030 - b_PEX030 < 0
 $\Pr(\#\text{negative} \geq 2) =$
 $\text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

Ho: median of a_PEX030 - b_PEX030 = 0 vs.
Ha: median of a_PEX030 - b_PEX030 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
----- PEX031 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PEX031 - b_PEX031 = 0 vs.
Ha: median of a_PEX031 - b_PEX031 > 0
 $\Pr(\#\text{positive} \geq 2) =$
 $\text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PEX031 - b_PEX031 = 0 vs.
Ha: median of a_PEX031 - b_PEX031 < 0
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PEX031 - b_PEX031 = 0 vs.
Ha: median of a_PEX031 - b_PEX031 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) =$

20_Granular-level_Combined-Tax-Subsidy_Results
 $\min(1, 2*\text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
----- PEX032 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PEX032 - b_PEX032 = 0 vs.
Ha: median of a_PEX032 - b_PEX032 > 0
 $\Pr(\#\text{positive} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PEX032 - b_PEX032 = 0 vs.
Ha: median of a_PEX032 - b_PEX032 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PEX032 - b_PEX032 = 0 vs.
Ha: median of a_PEX032 - b_PEX032 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2*\text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
----- PEX033 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PEX033 - b_PEX033 = 0 vs.
Ha: median of a_PEX033 - b_PEX033 > 0
 $\Pr(\#\text{positive} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PEX033 - b_PEX033 = 0 vs.
Ha: median of a_PEX033 - b_PEX033 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PEX033 - b_PEX033 = 0 vs.
Ha: median of a_PEX033 - b_PEX033 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2*\text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
----- PEX034 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

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One-sided tests:

Ho: median of a_PEX034 - b_PEX034 = 0 vs.
 Ha: median of a_PEX034 - b_PEX034 > 0
 $\Pr(\#\text{positive} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PEX034 - b_PEX034 = 0 vs.
 Ha: median of a_PEX034 - b_PEX034 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PEX034 - b_PEX034 = 0 vs.
 Ha: median of a_PEX034 - b_PEX034 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
 ----- PIN001 -----

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PIN001 - b_PIN001 = 0 vs.
 Ha: median of a_PIN001 - b_PIN001 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_PIN001 - b_PIN001 = 0 vs.
 Ha: median of a_PIN001 - b_PIN001 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PIN001 - b_PIN001 = 0 vs.
 Ha: median of a_PIN001 - b_PIN001 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PIN002 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PIN002 - b_PIN002 = 0 vs.
 Ha: median of a_PIN002 - b_PIN002 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PIN002 - b_PIN002 = 0 vs.
 Ha: median of a_PIN002 - b_PIN002 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

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Two-sided test:

```

Ho: median of a_PIN002 - b_PIN002 = 0 vs.
Ha: median of a_PIN002 - b_PIN002 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PIN003 -----

```

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

```

Ho: median of a_PIN003 - b_PIN003 = 0 vs.
Ha: median of a_PIN003 - b_PIN003 > 0
Pr(#positive >= 0) =
Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PIN003 - b_PIN003 = 0 vs.
Ha: median of a_PIN003 - b_PIN003 < 0
Pr(#negative >= 1) =
Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

```

Two-sided test:

```

Ho: median of a_PIN003 - b_PIN003 = 0 vs.
Ha: median of a_PIN003 - b_PIN003 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PIN004 -----

```

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

```

Ho: median of a_PIN004 - b_PIN004 = 0 vs.
Ha: median of a_PIN004 - b_PIN004 > 0
Pr(#positive >= 0) =
Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PIN004 - b_PIN004 = 0 vs.
Ha: median of a_PIN004 - b_PIN004 < 0
Pr(#negative >= 1) =
Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

```

Two-sided test:

```

Ho: median of a_PIN004 - b_PIN004 = 0 vs.
Ha: median of a_PIN004 - b_PIN004 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PIN005 -----

```

Sign test

sign	observed	expected
positive	0	.5

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negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PIN005 - b_PIN005 = 0 vs.
 Ha: median of a_PIN005 - b_PIN005 > 0
 Pr(#positive >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PIN005 - b_PIN005 = 0 vs.
 Ha: median of a_PIN005 - b_PIN005 < 0
 Pr(#negative >= 1) =
 Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Two-sided test:

Ho: median of a_PIN005 - b_PIN005 = 0 vs.
 Ha: median of a_PIN005 - b_PIN005 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PIN006 - b_PIN006 = 0 vs.
 Ha: median of a_PIN006 - b_PIN006 > 0
 Pr(#positive >= 1) =
 Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Ho: median of a_PIN006 - b_PIN006 = 0 vs.
 Ha: median of a_PIN006 - b_PIN006 < 0
 Pr(#negative >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Two-sided test:

Ho: median of a_PIN006 - b_PIN006 = 0 vs.
 Ha: median of a_PIN006 - b_PIN006 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PIN007 - b_PIN007 = 0 vs.
 Ha: median of a_PIN007 - b_PIN007 > 0
 Pr(#positive >= 1) =
 Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Ho: median of a_PIN007 - b_PIN007 = 0 vs.
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Ha: median of a_PIN007 - b_PIN007 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:
 Ho: median of a_PIN007 - b_PIN007 = 0 vs.
 Ha: median of a_PIN007 - b_PIN007 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

----- PIN008 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PIN008 - b_PIN008 = 0 vs.
 Ha: median of a_PIN008 - b_PIN008 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PIN008 - b_PIN008 = 0 vs.
 Ha: median of a_PIN008 - b_PIN008 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PIN008 - b_PIN008 = 0 vs.
 Ha: median of a_PIN008 - b_PIN008 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

----- PIN009 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PIN009 - b_PIN009 = 0 vs.
 Ha: median of a_PIN009 - b_PIN009 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PIN009 - b_PIN009 = 0 vs.
 Ha: median of a_PIN009 - b_PIN009 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PIN009 - b_PIN009 = 0 vs.
 Ha: median of a_PIN009 - b_PIN009 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

----- PIN010 -----

Sign test

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sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PIN010 - b_PIN010 = 0 vs.
 Ha: median of a_PIN010 - b_PIN010 > 0
 Pr(#positive >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PIN010 - b_PIN010 = 0 vs.
 Ha: median of a_PIN010 - b_PIN010 < 0
 Pr(#negative >= 1) =
 Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Two-sided test:

Ho: median of a_PIN010 - b_PIN010 = 0 vs.
 Ha: median of a_PIN010 - b_PIN010 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PIN011 - b_PIN011 = 0 vs.
 Ha: median of a_PIN011 - b_PIN011 > 0
 Pr(#positive >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PIN011 - b_PIN011 = 0 vs.
 Ha: median of a_PIN011 - b_PIN011 < 0
 Pr(#negative >= 1) =
 Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Two-sided test:

Ho: median of a_PIN011 - b_PIN011 = 0 vs.
 Ha: median of a_PIN011 - b_PIN011 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PIN012 - b_PIN012 = 0 vs.
 Ha: median of a_PIN012 - b_PIN012 > 0

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 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_PIN012 - b_PIN012 = 0 vs.
Ha: median of a_PIN012 - b_PIN012 < 0
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PIN012 - b_PIN012 = 0 vs.
Ha: median of a_PIN012 - b_PIN012 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- PVOL001 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL001 - b_PVOL001 = 0 vs.
Ha: median of a_PVOL001 - b_PVOL001 > 0
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL001 - b_PVOL001 = 0 vs.
Ha: median of a_PVOL001 - b_PVOL001 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PVOL001 - b_PVOL001 = 0 vs.
Ha: median of a_PVOL001 - b_PVOL001 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- PVOL002 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL002 - b_PVOL002 = 0 vs.
Ha: median of a_PVOL002 - b_PVOL002 > 0
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL002 - b_PVOL002 = 0 vs.
Ha: median of a_PVOL002 - b_PVOL002 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PVOL002 - b_PVOL002 = 0 vs.
Ha: median of a_PVOL002 - b_PVOL002 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$

20_Granular-level_Combined-Tax-Subsidy_Results
 $\min(1, 2*\text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL003 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL003}} - b_{\text{PVOL003}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL003}} - b_{\text{PVOL003}} > 0$
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

 $H_0: \text{median of } a_{\text{PVOL003}} - b_{\text{PVOL003}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL003}} - b_{\text{PVOL003}} < 0$
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL003}} - b_{\text{PVOL003}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL003}} - b_{\text{PVOL003}} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2*\text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL004 -----

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL004}} - b_{\text{PVOL004}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL004}} - b_{\text{PVOL004}} > 0$
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

 $H_0: \text{median of } a_{\text{PVOL004}} - b_{\text{PVOL004}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL004}} - b_{\text{PVOL004}} < 0$
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL004}} - b_{\text{PVOL004}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL004}} - b_{\text{PVOL004}} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2*\text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL005 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

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One-sided tests:

Ho: median of a_PVOL005 - b_PVOL005 = 0 vs.
 Ha: median of a_PVOL005 - b_PVOL005 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL005 - b_PVOL005 = 0 vs.
 Ha: median of a_PVOL005 - b_PVOL005 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PVOL005 - b_PVOL005 = 0 vs.
 Ha: median of a_PVOL005 - b_PVOL005 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL006 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL006 - b_PVOL006 = 0 vs.
 Ha: median of a_PVOL006 - b_PVOL006 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL006 - b_PVOL006 = 0 vs.
 Ha: median of a_PVOL006 - b_PVOL006 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PVOL006 - b_PVOL006 = 0 vs.
 Ha: median of a_PVOL006 - b_PVOL006 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL007 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL007 - b_PVOL007 = 0 vs.
 Ha: median of a_PVOL007 - b_PVOL007 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL007 - b_PVOL007 = 0 vs.
 Ha: median of a_PVOL007 - b_PVOL007 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

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Two-sided test:

```

Ho: median of a_PVOL007 - b_PVOL007 = 0 vs.
Ha: median of a_PVOL007 - b_PVOL007 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PVOL008 -----

```

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

```

Ho: median of a_PVOL008 - b_PVOL008 = 0 vs.
Ha: median of a_PVOL008 - b_PVOL008 > 0
Pr(#positive >= 0) =
Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PVOL008 - b_PVOL008 = 0 vs.
Ha: median of a_PVOL008 - b_PVOL008 < 0
Pr(#negative >= 1) =
Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

```

Two-sided test:

```

Ho: median of a_PVOL008 - b_PVOL008 = 0 vs.
Ha: median of a_PVOL008 - b_PVOL008 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PVOL009 -----

```

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

```

Ho: median of a_PVOL009 - b_PVOL009 = 0 vs.
Ha: median of a_PVOL009 - b_PVOL009 > 0
Pr(#positive >= 0) =
Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PVOL009 - b_PVOL009 = 0 vs.
Ha: median of a_PVOL009 - b_PVOL009 < 0
Pr(#negative >= 1) =
Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

```

Two-sided test:

```

Ho: median of a_PVOL009 - b_PVOL009 = 0 vs.
Ha: median of a_PVOL009 - b_PVOL009 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PVOL010 -----

```

Sign test

sign	observed	expected
positive	1	.5

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negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL010 - b_PVOL010 = 0 vs.
 Ha: median of a_PVOL010 - b_PVOL010 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$
 Ho: median of a_PVOL010 - b_PVOL010 = 0 vs.
 Ha: median of a_PVOL010 - b_PVOL010 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL010 - b_PVOL010 = 0 vs.
 Ha: median of a_PVOL010 - b_PVOL010 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL011 - b_PVOL011 = 0 vs.
 Ha: median of a_PVOL011 - b_PVOL011 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$
 Ho: median of a_PVOL011 - b_PVOL011 = 0 vs.
 Ha: median of a_PVOL011 - b_PVOL011 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PVOL011 - b_PVOL011 = 0 vs.
 Ha: median of a_PVOL011 - b_PVOL011 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL012 - b_PVOL012 = 0 vs.
 Ha: median of a_PVOL012 - b_PVOL012 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$
 Ho: median of a_PVOL012 - b_PVOL012 = 0 vs.

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Ha: median of a_PVOL012 - b_PVOL012 < 0
 Pr(#negative >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Two-sided test:
 Ho: median of a_PVOL012 - b_PVOL012 = 0 vs.
 Ha: median of a_PVOL012 - b_PVOL012 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

----- PVOL013 -----

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL013 - b_PVOL013 = 0 vs.
 Ha: median of a_PVOL013 - b_PVOL013 > 0
 Pr(#positive >= 1) =
 Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Ho: median of a_PVOL013 - b_PVOL013 = 0 vs.
 Ha: median of a_PVOL013 - b_PVOL013 < 0
 Pr(#negative >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Two-sided test:

Ho: median of a_PVOL013 - b_PVOL013 = 0 vs.
 Ha: median of a_PVOL013 - b_PVOL013 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

----- PVOL014 -----

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL014 - b_PVOL014 = 0 vs.
 Ha: median of a_PVOL014 - b_PVOL014 > 0
 Pr(#positive >= 1) =
 Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Ho: median of a_PVOL014 - b_PVOL014 = 0 vs.
 Ha: median of a_PVOL014 - b_PVOL014 < 0
 Pr(#negative >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Two-sided test:

Ho: median of a_PVOL014 - b_PVOL014 = 0 vs.
 Ha: median of a_PVOL014 - b_PVOL014 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

----- PVOL015 -----

Sign test

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sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL015 - b_PVOL015 = 0 vs.
 Ha: median of a_PVOL015 - b_PVOL015 > 0
 Pr(#positive >= 1) =
 Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Ho: median of a_PVOL015 - b_PVOL015 = 0 vs.
 Ha: median of a_PVOL015 - b_PVOL015 < 0
 Pr(#negative >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Two-sided test:

Ho: median of a_PVOL015 - b_PVOL015 = 0 vs.
 Ha: median of a_PVOL015 - b_PVOL015 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL016 - b_PVOL016 = 0 vs.
 Ha: median of a_PVOL016 - b_PVOL016 > 0
 Pr(#positive >= 1) =
 Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Ho: median of a_PVOL016 - b_PVOL016 = 0 vs.
 Ha: median of a_PVOL016 - b_PVOL016 < 0
 Pr(#negative >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Two-sided test:

Ho: median of a_PVOL016 - b_PVOL016 = 0 vs.
 Ha: median of a_PVOL016 - b_PVOL016 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL017 - b_PVOL017 = 0 vs.
 Ha: median of a_PVOL017 - b_PVOL017 > 0

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 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL017 - b_PVOL017 = 0 vs.
Ha: median of a_PVOL017 - b_PVOL017 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PVOL017 - b_PVOL017 = 0 vs.
Ha: median of a_PVOL017 - b_PVOL017 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- PVOL018 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL018 - b_PVOL018 = 0 vs.
Ha: median of a_PVOL018 - b_PVOL018 > 0
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL018 - b_PVOL018 = 0 vs.
Ha: median of a_PVOL018 - b_PVOL018 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PVOL018 - b_PVOL018 = 0 vs.
Ha: median of a_PVOL018 - b_PVOL018 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- PVOL019 -----

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL019 - b_PVOL019 = 0 vs.
Ha: median of a_PVOL019 - b_PVOL019 > 0
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_PVOL019 - b_PVOL019 = 0 vs.
Ha: median of a_PVOL019 - b_PVOL019 < 0
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL019 - b_PVOL019 = 0 vs.
Ha: median of a_PVOL019 - b_PVOL019 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
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 $\min(1, 2^*\text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL020 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL020}} - b_{\text{PVOL020}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL020}} - b_{\text{PVOL020}} > 0$
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

 $H_0: \text{median of } a_{\text{PVOL020}} - b_{\text{PVOL020}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL020}} - b_{\text{PVOL020}} < 0$
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL020}} - b_{\text{PVOL020}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL020}} - b_{\text{PVOL020}} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2^*\text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL021 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL021}} - b_{\text{PVOL021}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL021}} - b_{\text{PVOL021}} > 0$
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

 $H_0: \text{median of } a_{\text{PVOL021}} - b_{\text{PVOL021}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL021}} - b_{\text{PVOL021}} < 0$
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL021}} - b_{\text{PVOL021}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL021}} - b_{\text{PVOL021}} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2^*\text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL022 -----

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

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One-sided tests:

Ho: median of a_PVOL022 - b_PVOL022 = 0 vs.
 Ha: median of a_PVOL022 - b_PVOL022 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_PVOL022 - b_PVOL022 = 0 vs.
 Ha: median of a_PVOL022 - b_PVOL022 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL022 - b_PVOL022 = 0 vs.
 Ha: median of a_PVOL022 - b_PVOL022 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL023 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL023 - b_PVOL023 = 0 vs.
 Ha: median of a_PVOL023 - b_PVOL023 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL023 - b_PVOL023 = 0 vs.
 Ha: median of a_PVOL023 - b_PVOL023 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PVOL023 - b_PVOL023 = 0 vs.
 Ha: median of a_PVOL023 - b_PVOL023 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL024 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL024 - b_PVOL024 = 0 vs.
 Ha: median of a_PVOL024 - b_PVOL024 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL024 - b_PVOL024 = 0 vs.
 Ha: median of a_PVOL024 - b_PVOL024 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

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Two-sided test:

```

Ho: median of a_PVOL024 - b_PVOL024 = 0 vs.
Ha: median of a_PVOL024 - b_PVOL024 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PVOL025 -----

```

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

```

Ho: median of a_PVOL025 - b_PVOL025 = 0 vs.
Ha: median of a_PVOL025 - b_PVOL025 > 0
Pr(#positive >= 0) =
Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PVOL025 - b_PVOL025 = 0 vs.
Ha: median of a_PVOL025 - b_PVOL025 < 0
Pr(#negative >= 1) =
Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

```

Two-sided test:

```

Ho: median of a_PVOL025 - b_PVOL025 = 0 vs.
Ha: median of a_PVOL025 - b_PVOL025 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PVOL026 -----

```

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

```

Ho: median of a_PVOL026 - b_PVOL026 = 0 vs.
Ha: median of a_PVOL026 - b_PVOL026 > 0
Pr(#positive >= 1) =
Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Ho: median of a_PVOL026 - b_PVOL026 = 0 vs.
Ha: median of a_PVOL026 - b_PVOL026 < 0
Pr(#negative >= 0) =
Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

```

Two-sided test:

```

Ho: median of a_PVOL026 - b_PVOL026 = 0 vs.
Ha: median of a_PVOL026 - b_PVOL026 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PVOL027 -----

```

Sign test

sign	observed	expected
positive	0	.5

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negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL027 - b_PVOL027 = 0 vs.
 Ha: median of a_PVOL027 - b_PVOL027 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL027 - b_PVOL027 = 0 vs.
 Ha: median of a_PVOL027 - b_PVOL027 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PVOL027 - b_PVOL027 = 0 vs.
 Ha: median of a_PVOL027 - b_PVOL027 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL028 - b_PVOL028 = 0 vs.
 Ha: median of a_PVOL028 - b_PVOL028 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL028 - b_PVOL028 = 0 vs.
 Ha: median of a_PVOL028 - b_PVOL028 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PVOL028 - b_PVOL028 = 0 vs.
 Ha: median of a_PVOL028 - b_PVOL028 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL029 - b_PVOL029 = 0 vs.
 Ha: median of a_PVOL029 - b_PVOL029 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_PVOL029 - b_PVOL029 = 0 vs.

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Ha: median of a_PVOL029 - b_PVOL029 < 0
 Pr(#negative >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Two-sided test:
 Ho: median of a_PVOL029 - b_PVOL029 = 0 vs.
 Ha: median of a_PVOL029 - b_PVOL029 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

----- PVOL030 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL030 - b_PVOL030 = 0 vs.
 Ha: median of a_PVOL030 - b_PVOL030 > 0
 Pr(#positive >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PVOL030 - b_PVOL030 = 0 vs.
 Ha: median of a_PVOL030 - b_PVOL030 < 0
 Pr(#negative >= 1) =
 Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Two-sided test:

Ho: median of a_PVOL030 - b_PVOL030 = 0 vs.
 Ha: median of a_PVOL030 - b_PVOL030 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

----- PVOL031 -----

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL031 - b_PVOL031 = 0 vs.
 Ha: median of a_PVOL031 - b_PVOL031 > 0
 Pr(#positive >= 1) =
 Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Ho: median of a_PVOL031 - b_PVOL031 = 0 vs.
 Ha: median of a_PVOL031 - b_PVOL031 < 0
 Pr(#negative >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Two-sided test:

Ho: median of a_PVOL031 - b_PVOL031 = 0 vs.
 Ha: median of a_PVOL031 - b_PVOL031 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

----- PVOL032 -----

Sign test

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sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL032}} - b_{\text{PVOL032}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL032}} - b_{\text{PVOL032}} > 0$
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

$H_0: \text{median of } a_{\text{PVOL032}} - b_{\text{PVOL032}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL032}} - b_{\text{PVOL032}} < 0$
 $\Pr(\#\text{negative} \geq 2) =$
 $\text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL032}} - b_{\text{PVOL032}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL032}} - b_{\text{PVOL032}} \neq 0$
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL033}} - b_{\text{PVOL033}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL033}} - b_{\text{PVOL033}} > 0$
 $\Pr(\#\text{positive} \geq 2) =$
 $\text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

$H_0: \text{median of } a_{\text{PVOL033}} - b_{\text{PVOL033}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL033}} - b_{\text{PVOL033}} < 0$
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL033}} - b_{\text{PVOL033}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL033}} - b_{\text{PVOL033}} \neq 0$
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL034}} - b_{\text{PVOL034}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL034}} - b_{\text{PVOL034}} > 0$

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 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Ho: median of a_PVOL034 - b_PVOL034 = 0 vs.
Ha: median of a_PVOL034 - b_PVOL034 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL034 - b_PVOL034 = 0 vs.
Ha: median of a_PVOL034 - b_PVOL034 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
----- PVOL035 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL035 - b_PVOL035 = 0 vs.
Ha: median of a_PVOL035 - b_PVOL035 > 0
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Ho: median of a_PVOL035 - b_PVOL035 = 0 vs.
Ha: median of a_PVOL035 - b_PVOL035 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL035 - b_PVOL035 = 0 vs.
Ha: median of a_PVOL035 - b_PVOL035 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
----- PVOL036 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL036 - b_PVOL036 = 0 vs.
Ha: median of a_PVOL036 - b_PVOL036 > 0
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Ho: median of a_PVOL036 - b_PVOL036 = 0 vs.
Ha: median of a_PVOL036 - b_PVOL036 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL036 - b_PVOL036 = 0 vs.
Ha: median of a_PVOL036 - b_PVOL036 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$

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 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL037 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL037}} - b_{\text{PVOL037}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL037}} - b_{\text{PVOL037}} > 0$
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

 $H_0: \text{median of } a_{\text{PVOL037}} - b_{\text{PVOL037}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL037}} - b_{\text{PVOL037}} < 0$
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL037}} - b_{\text{PVOL037}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL037}} - b_{\text{PVOL037}} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL038 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL038}} - b_{\text{PVOL038}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL038}} - b_{\text{PVOL038}} > 0$
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

 $H_0: \text{median of } a_{\text{PVOL038}} - b_{\text{PVOL038}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL038}} - b_{\text{PVOL038}} < 0$
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL038}} - b_{\text{PVOL038}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL038}} - b_{\text{PVOL038}} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL039 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

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One-sided tests:

Ho: median of a_PVOL039 - b_PVOL039 = 0 vs.
 Ha: median of a_PVOL039 - b_PVOL039 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Ho: median of a_PVOL039 - b_PVOL039 = 0 vs.
 Ha: median of a_PVOL039 - b_PVOL039 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL039 - b_PVOL039 = 0 vs.
 Ha: median of a_PVOL039 - b_PVOL039 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL040 -----

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL040 - b_PVOL040 = 0 vs.
 Ha: median of a_PVOL040 - b_PVOL040 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL040 - b_PVOL040 = 0 vs.
 Ha: median of a_PVOL040 - b_PVOL040 < 0
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

Ho: median of a_PVOL040 - b_PVOL040 = 0 vs.
 Ha: median of a_PVOL040 - b_PVOL040 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
 ----- PVOL041 -----

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL041 - b_PVOL041 = 0 vs.
 Ha: median of a_PVOL041 - b_PVOL041 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL041 - b_PVOL041 = 0 vs.
 Ha: median of a_PVOL041 - b_PVOL041 < 0
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

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Two-sided test:

```

Ho: median of a_PVOL041 - b_PVOL041 = 0 vs.
Ha: median of a_PVOL041 - b_PVOL041 != 0
Pr(#positive >= 2 or #negative >= 2) =
min(1, 2*Binomial(n = 2, x >= 2, p = 0.5)) = 0.5000
----- PVOL042 -----

```

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

```

Ho: median of a_PVOL042 - b_PVOL042 = 0 vs.
Ha: median of a_PVOL042 - b_PVOL042 > 0
Pr(#positive >= 0) =
Binomial(n = 2, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PVOL042 - b_PVOL042 = 0 vs.
Ha: median of a_PVOL042 - b_PVOL042 < 0
Pr(#negative >= 2) =
Binomial(n = 2, x >= 2, p = 0.5) = 0.2500

```

Two-sided test:

```

Ho: median of a_PVOL042 - b_PVOL042 = 0 vs.
Ha: median of a_PVOL042 - b_PVOL042 != 0
Pr(#positive >= 2 or #negative >= 2) =
min(1, 2*Binomial(n = 2, x >= 2, p = 0.5)) = 0.5000
----- PVOL043 -----

```

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

```

Ho: median of a_PVOL043 - b_PVOL043 = 0 vs.
Ha: median of a_PVOL043 - b_PVOL043 > 0
Pr(#positive >= 0) =
Binomial(n = 2, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PVOL043 - b_PVOL043 = 0 vs.
Ha: median of a_PVOL043 - b_PVOL043 < 0
Pr(#negative >= 2) =
Binomial(n = 2, x >= 2, p = 0.5) = 0.2500

```

Two-sided test:

```

Ho: median of a_PVOL043 - b_PVOL043 = 0 vs.
Ha: median of a_PVOL043 - b_PVOL043 != 0
Pr(#positive >= 2 or #negative >= 2) =
min(1, 2*Binomial(n = 2, x >= 2, p = 0.5)) = 0.5000
----- PVOL044 -----

```

Sign test

sign	observed	expected
positive	0	1

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negative	2	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL044 - b_PVOL044 = 0 vs.
 Ha: median of a_PVOL044 - b_PVOL044 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL044 - b_PVOL044 = 0 vs.
 Ha: median of a_PVOL044 - b_PVOL044 < 0
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

Ho: median of a_PVOL044 - b_PVOL044 = 0 vs.
 Ha: median of a_PVOL044 - b_PVOL044 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL045 - b_PVOL045 = 0 vs.
 Ha: median of a_PVOL045 - b_PVOL045 > 0
 $\Pr(\#\text{positive} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PVOL045 - b_PVOL045 = 0 vs.
 Ha: median of a_PVOL045 - b_PVOL045 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL045 - b_PVOL045 = 0 vs.
 Ha: median of a_PVOL045 - b_PVOL045 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL046 - b_PVOL046 = 0 vs.
 Ha: median of a_PVOL046 - b_PVOL046 > 0
 $\Pr(\#\text{positive} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PVOL046 - b_PVOL046 = 0 vs.

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Ha: median of a_PVOL046 - b_PVOL046 < 0
 Pr(#negative >= 0) =
 Binomial(n = 2, x >= 0, p = 0.5) = 1.0000

Two-sided test:
 Ho: median of a_PVOL046 - b_PVOL046 = 0 vs.
 Ha: median of a_PVOL046 - b_PVOL046 != 0
 Pr(#positive >= 2 or #negative >= 2) =
 min(1, 2*Binomial(n = 2, x >= 2, p = 0.5)) = 0.5000

----- PVOL047 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL047 - b_PVOL047 = 0 vs.
 Ha: median of a_PVOL047 - b_PVOL047 > 0
 Pr(#positive >= 2) =
 Binomial(n = 2, x >= 2, p = 0.5) = 0.2500

Ho: median of a_PVOL047 - b_PVOL047 = 0 vs.
 Ha: median of a_PVOL047 - b_PVOL047 < 0
 Pr(#negative >= 0) =
 Binomial(n = 2, x >= 0, p = 0.5) = 1.0000

Two-sided test:

Ho: median of a_PVOL047 - b_PVOL047 = 0 vs.
 Ha: median of a_PVOL047 - b_PVOL047 != 0
 Pr(#positive >= 2 or #negative >= 2) =
 min(1, 2*Binomial(n = 2, x >= 2, p = 0.5)) = 0.5000

----- PVOL048 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL048 - b_PVOL048 = 0 vs.
 Ha: median of a_PVOL048 - b_PVOL048 > 0
 Pr(#positive >= 2) =
 Binomial(n = 2, x >= 2, p = 0.5) = 0.2500

Ho: median of a_PVOL048 - b_PVOL048 = 0 vs.
 Ha: median of a_PVOL048 - b_PVOL048 < 0
 Pr(#negative >= 0) =
 Binomial(n = 2, x >= 0, p = 0.5) = 1.0000

Two-sided test:

Ho: median of a_PVOL048 - b_PVOL048 = 0 vs.
 Ha: median of a_PVOL048 - b_PVOL048 != 0
 Pr(#positive >= 2 or #negative >= 2) =
 min(1, 2*Binomial(n = 2, x >= 2, p = 0.5)) = 0.5000

----- PVOL049 -----

Sign test

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sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL049}} - b_{\text{PVOL049}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL049}} - b_{\text{PVOL049}} > 0$
 $\Pr(\#\text{positive} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

$H_0: \text{median of } a_{\text{PVOL049}} - b_{\text{PVOL049}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL049}} - b_{\text{PVOL049}} < 0$
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL049}} - b_{\text{PVOL049}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL049}} - b_{\text{PVOL049}} \neq 0$
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL050}} - b_{\text{PVOL050}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL050}} - b_{\text{PVOL050}} > 0$
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

$H_0: \text{median of } a_{\text{PVOL050}} - b_{\text{PVOL050}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL050}} - b_{\text{PVOL050}} < 0$
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL050}} - b_{\text{PVOL050}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL050}} - b_{\text{PVOL050}} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL051}} - b_{\text{PVOL051}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL051}} - b_{\text{PVOL051}} > 0$

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 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL051 - b_PVOL051 = 0 vs.
Ha: median of a_PVOL051 - b_PVOL051 < 0
 $\Pr(\#\text{negative} \geq 2) =$
 $\text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

Ho: median of a_PVOL051 - b_PVOL051 = 0 vs.
Ha: median of a_PVOL051 - b_PVOL051 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
----- PVOL052 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL052 - b_PVOL052 = 0 vs.
Ha: median of a_PVOL052 - b_PVOL052 > 0
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Ho: median of a_PVOL052 - b_PVOL052 = 0 vs.
Ha: median of a_PVOL052 - b_PVOL052 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL052 - b_PVOL052 = 0 vs.
Ha: median of a_PVOL052 - b_PVOL052 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
----- PVOL053 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL053 - b_PVOL053 = 0 vs.
Ha: median of a_PVOL053 - b_PVOL053 > 0
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Ho: median of a_PVOL053 - b_PVOL053 = 0 vs.
Ha: median of a_PVOL053 - b_PVOL053 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL053 - b_PVOL053 = 0 vs.
Ha: median of a_PVOL053 - b_PVOL053 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$

20_Granular-level_Combined-Tax-Subsidy_Results
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL054 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL054}} - b_{\text{PVOL054}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL054}} - b_{\text{PVOL054}} > 0$
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

 $H_0: \text{median of } a_{\text{PVOL054}} - b_{\text{PVOL054}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL054}} - b_{\text{PVOL054}} < 0$
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL054}} - b_{\text{PVOL054}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL054}} - b_{\text{PVOL054}} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL055 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL055}} - b_{\text{PVOL055}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL055}} - b_{\text{PVOL055}} > 0$
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

 $H_0: \text{median of } a_{\text{PVOL055}} - b_{\text{PVOL055}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL055}} - b_{\text{PVOL055}} < 0$
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL055}} - b_{\text{PVOL055}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL055}} - b_{\text{PVOL055}} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL056 -----

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

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One-sided tests:

Ho: median of a_PVOL056 - b_PVOL056 = 0 vs.
 Ha: median of a_PVOL056 - b_PVOL056 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL056 - b_PVOL056 = 0 vs.
 Ha: median of a_PVOL056 - b_PVOL056 < 0
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

Ho: median of a_PVOL056 - b_PVOL056 = 0 vs.
 Ha: median of a_PVOL056 - b_PVOL056 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
 ----- PVOL057 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL057 - b_PVOL057 = 0 vs.
 Ha: median of a_PVOL057 - b_PVOL057 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Ho: median of a_PVOL057 - b_PVOL057 = 0 vs.
 Ha: median of a_PVOL057 - b_PVOL057 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL057 - b_PVOL057 = 0 vs.
 Ha: median of a_PVOL057 - b_PVOL057 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL058 -----

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL058 - b_PVOL058 = 0 vs.
 Ha: median of a_PVOL058 - b_PVOL058 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL058 - b_PVOL058 = 0 vs.
 Ha: median of a_PVOL058 - b_PVOL058 < 0
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

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Two-sided test:

```

Ho: median of a_PVOL058 - b_PVOL058 = 0 vs.
Ha: median of a_PVOL058 - b_PVOL058 != 0
Pr(#positive >= 2 or #negative >= 2) =
min(1, 2*Binomial(n = 2, x >= 2, p = 0.5)) = 0.5000
----- PVOL059 -----

```

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

```

Ho: median of a_PVOL059 - b_PVOL059 = 0 vs.
Ha: median of a_PVOL059 - b_PVOL059 > 0
Pr(#positive >= 0) =
Binomial(n = 2, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PVOL059 - b_PVOL059 = 0 vs.
Ha: median of a_PVOL059 - b_PVOL059 < 0
Pr(#negative >= 2) =
Binomial(n = 2, x >= 2, p = 0.5) = 0.2500

```

Two-sided test:

```

Ho: median of a_PVOL059 - b_PVOL059 = 0 vs.
Ha: median of a_PVOL059 - b_PVOL059 != 0
Pr(#positive >= 2 or #negative >= 2) =
min(1, 2*Binomial(n = 2, x >= 2, p = 0.5)) = 0.5000
----- PVOL060 -----

```

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

```

Ho: median of a_PVOL060 - b_PVOL060 = 0 vs.
Ha: median of a_PVOL060 - b_PVOL060 > 0
Pr(#positive >= 1) =
Binomial(n = 2, x >= 1, p = 0.5) = 0.7500

Ho: median of a_PVOL060 - b_PVOL060 = 0 vs.
Ha: median of a_PVOL060 - b_PVOL060 < 0
Pr(#negative >= 1) =
Binomial(n = 2, x >= 1, p = 0.5) = 0.7500

```

Two-sided test:

```

Ho: median of a_PVOL060 - b_PVOL060 = 0 vs.
Ha: median of a_PVOL060 - b_PVOL060 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 2, x >= 1, p = 0.5)) = 1.0000
----- PVOL061 -----

```

Sign test

sign	observed	expected
positive	1	1

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negative	1	1
zero	0	0

all	2	2

One-sided tests:

Ho: median of a_PVOL061 - b_PVOL061 = 0 vs.
 Ha: median of a_PVOL061 - b_PVOL061 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Ho: median of a_PVOL061 - b_PVOL061 = 0 vs.
 Ha: median of a_PVOL061 - b_PVOL061 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL061 - b_PVOL061 = 0 vs.
 Ha: median of a_PVOL061 - b_PVOL061 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0

all	2	2

One-sided tests:

Ho: median of a_PVOL062 - b_PVOL062 = 0 vs.
 Ha: median of a_PVOL062 - b_PVOL062 > 0
 $\Pr(\#\text{positive} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PVOL062 - b_PVOL062 = 0 vs.
 Ha: median of a_PVOL062 - b_PVOL062 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL062 - b_PVOL062 = 0 vs.
 Ha: median of a_PVOL062 - b_PVOL062 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0

all	2	2

One-sided tests:

Ho: median of a_PVOL063 - b_PVOL063 = 0 vs.
 Ha: median of a_PVOL063 - b_PVOL063 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL063 - b_PVOL063 = 0 vs.

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Ha: median of a_PVOL063 - b_PVOL063 < 0
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:
 Ho: median of a_PVOL063 - b_PVOL063 = 0 vs.
 Ha: median of a_PVOL063 - b_PVOL063 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
 ----- PVOL064 -----

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL064 - b_PVOL064 = 0 vs.
 Ha: median of a_PVOL064 - b_PVOL064 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL064 - b_PVOL064 = 0 vs.
 Ha: median of a_PVOL064 - b_PVOL064 < 0
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

Ho: median of a_PVOL064 - b_PVOL064 = 0 vs.
 Ha: median of a_PVOL064 - b_PVOL064 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
 ----- PVOL065 -----

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL065 - b_PVOL065 = 0 vs.
 Ha: median of a_PVOL065 - b_PVOL065 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL065 - b_PVOL065 = 0 vs.
 Ha: median of a_PVOL065 - b_PVOL065 < 0
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

Ho: median of a_PVOL065 - b_PVOL065 = 0 vs.
 Ha: median of a_PVOL065 - b_PVOL065 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
 ----- PVOL066 -----

Sign test

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sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL}066} - b_{\text{PVOL}066} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL}066} - b_{\text{PVOL}066} > 0$
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

$H_0: \text{median of } a_{\text{PVOL}066} - b_{\text{PVOL}066} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL}066} - b_{\text{PVOL}066} < 0$
 $\Pr(\#\text{negative} \geq 2) =$
 $\text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL}066} - b_{\text{PVOL}066} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL}066} - b_{\text{PVOL}066} \neq 0$
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL}067} - b_{\text{PVOL}067} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL}067} - b_{\text{PVOL}067} > 0$
 $\Pr(\#\text{positive} \geq 2) =$
 $\text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

$H_0: \text{median of } a_{\text{PVOL}067} - b_{\text{PVOL}067} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL}067} - b_{\text{PVOL}067} < 0$
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL}067} - b_{\text{PVOL}067} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL}067} - b_{\text{PVOL}067} \neq 0$
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL}068} - b_{\text{PVOL}068} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL}068} - b_{\text{PVOL}068} > 0$

20_Granular-level_Combined-Tax-Subsidy_Results
 $\Pr(\#\text{positive} \geq 2) =$
 $\text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PVOL068 - b_PVOL068 = 0 vs.
Ha: median of a_PVOL068 - b_PVOL068 < 0
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL068 - b_PVOL068 = 0 vs.
Ha: median of a_PVOL068 - b_PVOL068 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
----- PVOL069 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL069 - b_PVOL069 = 0 vs.
Ha: median of a_PVOL069 - b_PVOL069 > 0
 $\Pr(\#\text{positive} \geq 2) =$
 $\text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PVOL069 - b_PVOL069 = 0 vs.
Ha: median of a_PVOL069 - b_PVOL069 < 0
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL069 - b_PVOL069 = 0 vs.
Ha: median of a_PVOL069 - b_PVOL069 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
----- PVOL070 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL070 - b_PVOL070 = 0 vs.
Ha: median of a_PVOL070 - b_PVOL070 > 0
 $\Pr(\#\text{positive} \geq 2) =$
 $\text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PVOL070 - b_PVOL070 = 0 vs.
Ha: median of a_PVOL070 - b_PVOL070 < 0
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL070 - b_PVOL070 = 0 vs.
Ha: median of a_PVOL070 - b_PVOL070 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) =$

20_Granular-level_Combined-Tax-Subsidy_Results
 $\min(1, 2*\text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
---- PVOL071 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL071 - b_PVOL071 = 0 vs.
Ha: median of a_PVOL071 - b_PVOL071 > 0
 $\Pr(\#\text{positive} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PVOL071 - b_PVOL071 = 0 vs.
Ha: median of a_PVOL071 - b_PVOL071 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL071 - b_PVOL071 = 0 vs.
Ha: median of a_PVOL071 - b_PVOL071 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2*\text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
---- PVOL072 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL072 - b_PVOL072 = 0 vs.
Ha: median of a_PVOL072 - b_PVOL072 > 0
 $\Pr(\#\text{positive} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PVOL072 - b_PVOL072 = 0 vs.
Ha: median of a_PVOL072 - b_PVOL072 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL072 - b_PVOL072 = 0 vs.
Ha: median of a_PVOL072 - b_PVOL072 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2*\text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
---- PVOL073 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

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One-sided tests:

Ho: median of a_PVOL073 - b_PVOL073 = 0 vs.
 Ha: median of a_PVOL073 - b_PVOL073 > 0
 $\Pr(\#\text{positive} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PVOL073 - b_PVOL073 = 0 vs.
 Ha: median of a_PVOL073 - b_PVOL073 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL073 - b_PVOL073 = 0 vs.
 Ha: median of a_PVOL073 - b_PVOL073 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
 ----- PVOL074 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL074 - b_PVOL074 = 0 vs.
 Ha: median of a_PVOL074 - b_PVOL074 > 0
 $\Pr(\#\text{positive} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PVOL074 - b_PVOL074 = 0 vs.
 Ha: median of a_PVOL074 - b_PVOL074 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL074 - b_PVOL074 = 0 vs.
 Ha: median of a_PVOL074 - b_PVOL074 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
 ----- PVOL075 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL075 - b_PVOL075 = 0 vs.
 Ha: median of a_PVOL075 - b_PVOL075 > 0
 $\Pr(\#\text{positive} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PVOL075 - b_PVOL075 = 0 vs.
 Ha: median of a_PVOL075 - b_PVOL075 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

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Two-sided test:

```

Ho: median of a_PVOL075 - b_PVOL075 = 0 vs.
Ha: median of a_PVOL075 - b_PVOL075 != 0
Pr(#positive >= 2 or #negative >= 2) =
min(1, 2*Binomial(n = 2, x >= 2, p = 0.5)) = 0.5000
----- PVOL076 -----

```

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

```

Ho: median of a_PVOL076 - b_PVOL076 = 0 vs.
Ha: median of a_PVOL076 - b_PVOL076 > 0
Pr(#positive >= 2) =
Binomial(n = 2, x >= 2, p = 0.5) = 0.2500

Ho: median of a_PVOL076 - b_PVOL076 = 0 vs.
Ha: median of a_PVOL076 - b_PVOL076 < 0
Pr(#negative >= 0) =
Binomial(n = 2, x >= 0, p = 0.5) = 1.0000

```

Two-sided test:

```

Ho: median of a_PVOL076 - b_PVOL076 = 0 vs.
Ha: median of a_PVOL076 - b_PVOL076 != 0
Pr(#positive >= 2 or #negative >= 2) =
min(1, 2*Binomial(n = 2, x >= 2, p = 0.5)) = 0.5000
----- PVOL077 -----

```

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

```

Ho: median of a_PVOL077 - b_PVOL077 = 0 vs.
Ha: median of a_PVOL077 - b_PVOL077 > 0
Pr(#positive >= 2) =
Binomial(n = 2, x >= 2, p = 0.5) = 0.2500

Ho: median of a_PVOL077 - b_PVOL077 = 0 vs.
Ha: median of a_PVOL077 - b_PVOL077 < 0
Pr(#negative >= 0) =
Binomial(n = 2, x >= 0, p = 0.5) = 1.0000

```

Two-sided test:

```

Ho: median of a_PVOL077 - b_PVOL077 = 0 vs.
Ha: median of a_PVOL077 - b_PVOL077 != 0
Pr(#positive >= 2 or #negative >= 2) =
min(1, 2*Binomial(n = 2, x >= 2, p = 0.5)) = 0.5000
----- PVOL078 -----

```

Sign test

sign	observed	expected
positive	1	1

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negative	1	1
zero	0	0

all	2	2

One-sided tests:

Ho: median of a_PVOL078 - b_PVOL078 = 0 vs.
 Ha: median of a_PVOL078 - b_PVOL078 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$
 Ho: median of a_PVOL078 - b_PVOL078 = 0 vs.
 Ha: median of a_PVOL078 - b_PVOL078 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL078 - b_PVOL078 = 0 vs.
 Ha: median of a_PVOL078 - b_PVOL078 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL079 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0

all	2	2

One-sided tests:

Ho: median of a_PVOL079 - b_PVOL079 = 0 vs.
 Ha: median of a_PVOL079 - b_PVOL079 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$
 Ho: median of a_PVOL079 - b_PVOL079 = 0 vs.
 Ha: median of a_PVOL079 - b_PVOL079 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL079 - b_PVOL079 = 0 vs.
 Ha: median of a_PVOL079 - b_PVOL079 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL080 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	1	1

all	2	2

One-sided tests:

Ho: median of a_PVOL080 - b_PVOL080 = 0 vs.
 Ha: median of a_PVOL080 - b_PVOL080 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL080 - b_PVOL080 = 0 vs.

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Ha: median of a_PVOL080 - b_PVOL080 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:
Ho: median of a_PVOL080 - b_PVOL080 = 0 vs.
Ha: median of a_PVOL080 - b_PVOL080 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- PVOL081 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL081 - b_PVOL081 = 0 vs.
Ha: median of a_PVOL081 - b_PVOL081 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Ho: median of a_PVOL081 - b_PVOL081 = 0 vs.
Ha: median of a_PVOL081 - b_PVOL081 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL081 - b_PVOL081 = 0 vs.
Ha: median of a_PVOL081 - b_PVOL081 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
----- PVOL082 -----

Sign test

sign	observed	expected
positive	0	1
negative	2	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL082 - b_PVOL082 = 0 vs.
Ha: median of a_PVOL082 - b_PVOL082 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL082 - b_PVOL082 = 0 vs.
Ha: median of a_PVOL082 - b_PVOL082 < 0
 $\Pr(\#\text{negative} \geq 2) = \text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Two-sided test:

Ho: median of a_PVOL082 - b_PVOL082 = 0 vs.
Ha: median of a_PVOL082 - b_PVOL082 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
----- PVOL083 -----

Sign test

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sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL083 - b_PVOL083 = 0 vs.
 Ha: median of a_PVOL083 - b_PVOL083 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Ho: median of a_PVOL083 - b_PVOL083 = 0 vs.
 Ha: median of a_PVOL083 - b_PVOL083 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL083 - b_PVOL083 = 0 vs.
 Ha: median of a_PVOL083 - b_PVOL083 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$

PVOL084 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL084 - b_PVOL084 = 0 vs.
 Ha: median of a_PVOL084 - b_PVOL084 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Ho: median of a_PVOL084 - b_PVOL084 = 0 vs.
 Ha: median of a_PVOL084 - b_PVOL084 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL084 - b_PVOL084 = 0 vs.
 Ha: median of a_PVOL084 - b_PVOL084 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$

PVOL085 -----

Sign test

sign	observed	expected
positive	2	1
negative	0	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL085 - b_PVOL085 = 0 vs.
 Ha: median of a_PVOL085 - b_PVOL085 > 0

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 $\Pr(\#\text{positive} \geq 2) =$
 $\text{Binomial}(n = 2, x \geq 2, p = 0.5) = 0.2500$

Ho: median of a_PVOL085 - b_PVOL085 = 0 vs.
Ha: median of a_PVOL085 - b_PVOL085 < 0
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 2, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL085 - b_PVOL085 = 0 vs.
Ha: median of a_PVOL085 - b_PVOL085 != 0
 $\Pr(\#\text{positive} \geq 2 \text{ or } \#\text{negative} \geq 2) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 2, p = 0.5)) = 0.5000$
----- PVOL086 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL086 - b_PVOL086 = 0 vs.
Ha: median of a_PVOL086 - b_PVOL086 > 0
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Ho: median of a_PVOL086 - b_PVOL086 = 0 vs.
Ha: median of a_PVOL086 - b_PVOL086 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL086 - b_PVOL086 = 0 vs.
Ha: median of a_PVOL086 - b_PVOL086 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
----- PVOL087 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

Ho: median of a_PVOL087 - b_PVOL087 = 0 vs.
Ha: median of a_PVOL087 - b_PVOL087 > 0
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Ho: median of a_PVOL087 - b_PVOL087 = 0 vs.
Ha: median of a_PVOL087 - b_PVOL087 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

Ho: median of a_PVOL087 - b_PVOL087 = 0 vs.
Ha: median of a_PVOL087 - b_PVOL087 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$

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 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL088 -----

Sign test

sign	observed	expected
positive	1	1
negative	1	1
zero	0	0
all	2	2

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL088}} - b_{\text{PVOL088}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL088}} - b_{\text{PVOL088}} > 0$
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

 $H_0: \text{median of } a_{\text{PVOL088}} - b_{\text{PVOL088}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL088}} - b_{\text{PVOL088}} < 0$
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 2, x \geq 1, p = 0.5) = 0.7500$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL088}} - b_{\text{PVOL088}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL088}} - b_{\text{PVOL088}} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 2, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL089 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

$H_0: \text{median of } a_{\text{PVOL089}} - b_{\text{PVOL089}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL089}} - b_{\text{PVOL089}} > 0$
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

 $H_0: \text{median of } a_{\text{PVOL089}} - b_{\text{PVOL089}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL089}} - b_{\text{PVOL089}} < 0$
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

$H_0: \text{median of } a_{\text{PVOL089}} - b_{\text{PVOL089}} = 0$ vs.
 $H_a: \text{median of } a_{\text{PVOL089}} - b_{\text{PVOL089}} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL090 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

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One-sided tests:

Ho: median of a_PVOL090 - b_PVOL090 = 0 vs.
 Ha: median of a_PVOL090 - b_PVOL090 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

 Ho: median of a_PVOL090 - b_PVOL090 = 0 vs.
 Ha: median of a_PVOL090 - b_PVOL090 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PVOL090 - b_PVOL090 = 0 vs.
 Ha: median of a_PVOL090 - b_PVOL090 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL091 -----

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL091 - b_PVOL091 = 0 vs.
 Ha: median of a_PVOL091 - b_PVOL091 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

 Ho: median of a_PVOL091 - b_PVOL091 = 0 vs.
 Ha: median of a_PVOL091 - b_PVOL091 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL091 - b_PVOL091 = 0 vs.
 Ha: median of a_PVOL091 - b_PVOL091 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- PVOL092 -----

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL092 - b_PVOL092 = 0 vs.
 Ha: median of a_PVOL092 - b_PVOL092 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

 Ho: median of a_PVOL092 - b_PVOL092 = 0 vs.
 Ha: median of a_PVOL092 - b_PVOL092 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

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Two-sided test:

```

Ho: median of a_PVOL092 - b_PVOL092 = 0 vs.
Ha: median of a_PVOL092 - b_PVOL092 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PVOL093 -----

```

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

```

Ho: median of a_PVOL093 - b_PVOL093 = 0 vs.
Ha: median of a_PVOL093 - b_PVOL093 > 0
Pr(#positive >= 0) =
Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PVOL093 - b_PVOL093 = 0 vs.
Ha: median of a_PVOL093 - b_PVOL093 < 0
Pr(#negative >= 1) =
Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

```

Two-sided test:

```

Ho: median of a_PVOL093 - b_PVOL093 = 0 vs.
Ha: median of a_PVOL093 - b_PVOL093 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PVOL094 -----

```

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

```

Ho: median of a_PVOL094 - b_PVOL094 = 0 vs.
Ha: median of a_PVOL094 - b_PVOL094 > 0
Pr(#positive >= 0) =
Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PVOL094 - b_PVOL094 = 0 vs.
Ha: median of a_PVOL094 - b_PVOL094 < 0
Pr(#negative >= 1) =
Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

```

Two-sided test:

```

Ho: median of a_PVOL094 - b_PVOL094 = 0 vs.
Ha: median of a_PVOL094 - b_PVOL094 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- PVOL095 -----

```

Sign test

sign	observed	expected
positive	0	.5

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negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL095 - b_PVOL095 = 0 vs.
 Ha: median of a_PVOL095 - b_PVOL095 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_PVOL095 - b_PVOL095 = 0 vs.
 Ha: median of a_PVOL095 - b_PVOL095 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_PVOL095 - b_PVOL095 = 0 vs.
 Ha: median of a_PVOL095 - b_PVOL095 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL096 - b_PVOL096 = 0 vs.
 Ha: median of a_PVOL096 - b_PVOL096 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_PVOL096 - b_PVOL096 = 0 vs.
 Ha: median of a_PVOL096 - b_PVOL096 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_PVOL096 - b_PVOL096 = 0 vs.
 Ha: median of a_PVOL096 - b_PVOL096 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL097 - b_PVOL097 = 0 vs.
 Ha: median of a_PVOL097 - b_PVOL097 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_PVOL097 - b_PVOL097 = 0 vs.

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Ha: median of a_PVOL097 - b_PVOL097 < 0
 Pr(#negative >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Two-sided test:
 Ho: median of a_PVOL097 - b_PVOL097 = 0 vs.
 Ha: median of a_PVOL097 - b_PVOL097 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

----- PVOL098 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_PVOL098 - b_PVOL098 = 0 vs.
 Ha: median of a_PVOL098 - b_PVOL098 > 0
 Pr(#positive >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_PVOL098 - b_PVOL098 = 0 vs.
 Ha: median of a_PVOL098 - b_PVOL098 < 0
 Pr(#negative >= 1) =
 Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Two-sided test:

Ho: median of a_PVOL098 - b_PVOL098 = 0 vs.
 Ha: median of a_PVOL098 - b_PVOL098 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

----- BW001 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_BW001 - b_BW001 = 0 vs.
 Ha: median of a_BW001 - b_BW001 > 0
 Pr(#positive >= 0) =
 Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_BW001 - b_BW001 = 0 vs.
 Ha: median of a_BW001 - b_BW001 < 0
 Pr(#negative >= 1) =
 Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Two-sided test:

Ho: median of a_BW001 - b_BW001 = 0 vs.
 Ha: median of a_BW001 - b_BW001 != 0
 Pr(#positive >= 1 or #negative >= 1) =
 min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

----- BW002 -----

Sign test

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sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

$H_0: \text{median of } a_{\text{BW}002} - b_{\text{BW}002} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}002} - b_{\text{BW}002} > 0$
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

$H_0: \text{median of } a_{\text{BW}002} - b_{\text{BW}002} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}002} - b_{\text{BW}002} < 0$
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

$H_0: \text{median of } a_{\text{BW}002} - b_{\text{BW}002} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}002} - b_{\text{BW}002} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

$H_0: \text{median of } a_{\text{BW}003} - b_{\text{BW}003} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}003} - b_{\text{BW}003} > 0$
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

$H_0: \text{median of } a_{\text{BW}003} - b_{\text{BW}003} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}003} - b_{\text{BW}003} < 0$
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

$H_0: \text{median of } a_{\text{BW}003} - b_{\text{BW}003} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}003} - b_{\text{BW}003} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

$H_0: \text{median of } a_{\text{BW}004} - b_{\text{BW}004} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}004} - b_{\text{BW}004} > 0$

20_Granular-level_Combined-Tax-Subsidy_Results
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_BW004 - b_BW004 = 0 vs.
Ha: median of a_BW004 - b_BW004 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_BW004 - b_BW004 = 0 vs.
Ha: median of a_BW004 - b_BW004 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- BW005 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_BW005 - b_BW005 = 0 vs.
Ha: median of a_BW005 - b_BW005 > 0
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_BW005 - b_BW005 = 0 vs.
Ha: median of a_BW005 - b_BW005 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_BW005 - b_BW005 = 0 vs.
Ha: median of a_BW005 - b_BW005 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- BW006 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_BW006 - b_BW006 = 0 vs.
Ha: median of a_BW006 - b_BW006 > 0
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_BW006 - b_BW006 = 0 vs.
Ha: median of a_BW006 - b_BW006 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_BW006 - b_BW006 = 0 vs.
Ha: median of a_BW006 - b_BW006 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$

20_Granular-level_Combined-Tax-Subsidy_Results
 $\min(1, 2*\text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- BW007 -----

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

$H_0: \text{median of } a_{\text{BW}007} - b_{\text{BW}007} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}007} - b_{\text{BW}007} > 0$
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

 $H_0: \text{median of } a_{\text{BW}007} - b_{\text{BW}007} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}007} - b_{\text{BW}007} < 0$
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

$H_0: \text{median of } a_{\text{BW}007} - b_{\text{BW}007} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}007} - b_{\text{BW}007} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2*\text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- BW008 -----

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

$H_0: \text{median of } a_{\text{BW}008} - b_{\text{BW}008} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}008} - b_{\text{BW}008} > 0$
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

 $H_0: \text{median of } a_{\text{BW}008} - b_{\text{BW}008} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}008} - b_{\text{BW}008} < 0$
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

$H_0: \text{median of } a_{\text{BW}008} - b_{\text{BW}008} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}008} - b_{\text{BW}008} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2*\text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- BW009 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

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One-sided tests:

Ho: median of a_BW009 - b_BW009 = 0 vs.
 Ha: median of a_BW009 - b_BW009 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_BW009 - b_BW009 = 0 vs.
 Ha: median of a_BW009 - b_BW009 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_BW009 - b_BW009 = 0 vs.
 Ha: median of a_BW009 - b_BW009 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- BW010 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_BW010 - b_BW010 = 0 vs.
 Ha: median of a_BW010 - b_BW010 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_BW010 - b_BW010 = 0 vs.
 Ha: median of a_BW010 - b_BW010 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_BW010 - b_BW010 = 0 vs.
 Ha: median of a_BW010 - b_BW010 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- BW011 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_BW011 - b_BW011 = 0 vs.
 Ha: median of a_BW011 - b_BW011 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_BW011 - b_BW011 = 0 vs.
 Ha: median of a_BW011 - b_BW011 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

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Two-sided test:

```

Ho: median of a_BW011 - b_BW011 = 0 vs.
Ha: median of a_BW011 - b_BW011 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- BW012 -----

```

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

```

Ho: median of a_BW012 - b_BW012 = 0 vs.
Ha: median of a_BW012 - b_BW012 > 0
Pr(#positive >= 0) =
Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_BW012 - b_BW012 = 0 vs.
Ha: median of a_BW012 - b_BW012 < 0
Pr(#negative >= 1) =
Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

```

Two-sided test:

```

Ho: median of a_BW012 - b_BW012 = 0 vs.
Ha: median of a_BW012 - b_BW012 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- BW013 -----

```

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

```

Ho: median of a_BW013 - b_BW013 = 0 vs.
Ha: median of a_BW013 - b_BW013 > 0
Pr(#positive >= 0) =
Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_BW013 - b_BW013 = 0 vs.
Ha: median of a_BW013 - b_BW013 < 0
Pr(#negative >= 1) =
Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

```

Two-sided test:

```

Ho: median of a_BW013 - b_BW013 = 0 vs.
Ha: median of a_BW013 - b_BW013 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000
----- BW014 -----

```

Sign test

sign	observed	expected
positive	0	.5

20_Granular-level_Combined-Tax-Subsidy_Results		
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_BW014 - b_BW014 = 0 vs.
 Ha: median of a_BW014 - b_BW014 > 0
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_BW014 - b_BW014 = 0 vs.
 Ha: median of a_BW014 - b_BW014 < 0
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_BW014 - b_BW014 = 0 vs.
 Ha: median of a_BW014 - b_BW014 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_BW015 - b_BW015 = 0 vs.
 Ha: median of a_BW015 - b_BW015 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_BW015 - b_BW015 = 0 vs.
 Ha: median of a_BW015 - b_BW015 < 0
 $\Pr(\#\text{negative} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_BW015 - b_BW015 = 0 vs.
 Ha: median of a_BW015 - b_BW015 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_BW016 - b_BW016 = 0 vs.
 Ha: median of a_BW016 - b_BW016 > 0
 $\Pr(\#\text{positive} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_BW016 - b_BW016 = 0 vs.

20_Granular-level_Combined-Tax-Subsidy_Results
 Ha: median of a_BW016 - b_BW016 < 0
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:
 Ho: median of a_BW016 - b_BW016 = 0 vs.
 Ha: median of a_BW016 - b_BW016 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- BW017 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:
 Ho: median of a_BW017 - b_BW017 = 0 vs.
 Ha: median of a_BW017 - b_BW017 > 0
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_BW017 - b_BW017 = 0 vs.
 Ha: median of a_BW017 - b_BW017 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:
 Ho: median of a_BW017 - b_BW017 = 0 vs.
 Ha: median of a_BW017 - b_BW017 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- BW018 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:
 Ho: median of a_BW018 - b_BW018 = 0 vs.
 Ha: median of a_BW018 - b_BW018 > 0
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_BW018 - b_BW018 = 0 vs.
 Ha: median of a_BW018 - b_BW018 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:
 Ho: median of a_BW018 - b_BW018 = 0 vs.
 Ha: median of a_BW018 - b_BW018 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- BW019 -----

Sign test

20_Granular-level_Combined-Tax-Subsidy_Results

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_BW019 - b_BW019 = 0 vs.
 Ha: median of a_BW019 - b_BW019 > 0
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_BW019 - b_BW019 = 0 vs.
 Ha: median of a_BW019 - b_BW019 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_BW019 - b_BW019 = 0 vs.
 Ha: median of a_BW019 - b_BW019 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_BW020 - b_BW020 = 0 vs.
 Ha: median of a_BW020 - b_BW020 > 0
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_BW020 - b_BW020 = 0 vs.
 Ha: median of a_BW020 - b_BW020 < 0
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_BW020 - b_BW020 = 0 vs.
 Ha: median of a_BW020 - b_BW020 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$

Sign test

sign	observed	expected
positive	1	.5
negative	0	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_BW021 - b_BW021 = 0 vs.
 Ha: median of a_BW021 - b_BW021 > 0

20_Granular-level_Combined-Tax-Subsidy_Results
 $\Pr(\#\text{positive} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Ho: median of a_BW021 - b_BW021 = 0 vs.
Ha: median of a_BW021 - b_BW021 < 0
 $\Pr(\#\text{negative} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Two-sided test:

Ho: median of a_BW021 - b_BW021 = 0 vs.
Ha: median of a_BW021 - b_BW021 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- BW022 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_BW022 - b_BW022 = 0 vs.
Ha: median of a_BW022 - b_BW022 > 0
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_BW022 - b_BW022 = 0 vs.
Ha: median of a_BW022 - b_BW022 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_BW022 - b_BW022 = 0 vs.
Ha: median of a_BW022 - b_BW022 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
----- BW023 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

Ho: median of a_BW023 - b_BW023 = 0 vs.
Ha: median of a_BW023 - b_BW023 > 0
 $\Pr(\#\text{positive} \geq 0) =$
 $\text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

Ho: median of a_BW023 - b_BW023 = 0 vs.
Ha: median of a_BW023 - b_BW023 < 0
 $\Pr(\#\text{negative} \geq 1) =$
 $\text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

Ho: median of a_BW023 - b_BW023 = 0 vs.
Ha: median of a_BW023 - b_BW023 != 0
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) =$

20_Granular-level_Combined-Tax-Subsidy_Results
 $\min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- BW024 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

$H_0: \text{median of } a_{\text{BW}024} - b_{\text{BW}024} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}024} - b_{\text{BW}024} > 0$
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

 $H_0: \text{median of } a_{\text{BW}024} - b_{\text{BW}024} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}024} - b_{\text{BW}024} < 0$
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

$H_0: \text{median of } a_{\text{BW}024} - b_{\text{BW}024} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}024} - b_{\text{BW}024} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- BW025 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

One-sided tests:

$H_0: \text{median of } a_{\text{BW}025} - b_{\text{BW}025} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}025} - b_{\text{BW}025} > 0$
 $\Pr(\#\text{positive} \geq 0) = \text{Binomial}(n = 1, x \geq 0, p = 0.5) = 1.0000$

 $H_0: \text{median of } a_{\text{BW}025} - b_{\text{BW}025} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}025} - b_{\text{BW}025} < 0$
 $\Pr(\#\text{negative} \geq 1) = \text{Binomial}(n = 1, x \geq 1, p = 0.5) = 0.5000$

Two-sided test:

$H_0: \text{median of } a_{\text{BW}025} - b_{\text{BW}025} = 0$ vs.
 $H_a: \text{median of } a_{\text{BW}025} - b_{\text{BW}025} \neq 0$
 $\Pr(\#\text{positive} \geq 1 \text{ or } \#\text{negative} \geq 1) = \min(1, 2 * \text{Binomial}(n = 1, x \geq 1, p = 0.5)) = 1.0000$
 ----- BW026 -----

Sign test

sign	observed	expected
positive	0	.5
negative	1	.5
zero	0	0
all	1	1

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One-sided tests:

Ho: median of a_BW026 - b_BW026 = 0 vs.
Ha: median of a_BW026 - b_BW026 > 0
Pr(#positive >= 0) =
Binomial(n = 1, x >= 0, p = 0.5) = 1.0000

Ho: median of a_BW026 - b_BW026 = 0 vs.
Ha: median of a_BW026 - b_BW026 < 0
Pr(#negative >= 1) =
Binomial(n = 1, x >= 1, p = 0.5) = 0.5000

Two-sided test:

Ho: median of a_BW026 - b_BW026 = 0 vs.
Ha: median of a_BW026 - b_BW026 != 0
Pr(#positive >= 1 or #negative >= 1) =
min(1, 2*Binomial(n = 1, x >= 1, p = 0.5)) = 1.0000

: log close
name: <unnamed>
log: C:\Users\ids29\Documents\Stata\Taxes-Subsidies_Granular_Results.log
log type: text
closed on: 19 Nov 2012, 14:15:19
